Stewart House 32 Russell Square London WC1B 5DN

Jan 2002

Advanced Subsidiary /Advanced Level

General Certificate of Education

Subject STATISTICS 6684

Paper No. S2

	Question number	Scheme	Marks	
	1. (a)	Collection / group / set of individuals or items		
	(b)	A r.v. that is a function of known observations from a population	B1B1	
	(c)	College students. Mean approval rating of 75%	B1.B1	
	(d)	(Probability) distribution of all possible mean approval ratings of sample size 50 Dependent	B1 B1	
			7	
	2.	$H_0: \lambda = 2.5; H_1: \lambda > 2.5 \text{ (Accept } H_0: \lambda = 10; H_1: \lambda > 10)$	B1,B1	
		1 week $X \sim Po(2.5)$, 4 weeks $X \sim Po(10)$ $Po(10)$	B1	
		$P(X \ge 14) = 1 - 0.8645 = 0.1355$	•	
,		Insufficient evidence to reject H ₀ Sales have not increased after	M1	
		appointment of new salesman. Context [Note; $P(X \le 14) = 0.9165$, $P(X \le 15) = 0.9153$ for M1A1]	Alft	
		and the second of the second o	(7)	
	3. (a)	X is no of passengers who do not turn up for this flight.	at is a function of known observations from a population students. Mean approval rating of 75% B1.B1 (2) B1.B1 (2) B1.B1 (2) B1.B1 (2) All possible mean approval B1 atings of sample size 50 Dependent B1 (2) (3) (4) (5) (5) (7) (8) (8) (9) (9) (1) B1 B1 (1) (1) (2) (2) (3) (4) (5) (5) (6) B1 B1 (7) (8) (9) B1 B1 B1 (9) (9) (9) (9) B1 B1 (1) B1 B1 B1 (1) B1 B1 (2) (2) (3) (4) (5) (6) B1 (7) (7) (8) (8) (9) (9) B1 (1) (1) (2) (2) (3) (4) (4) (5) (6) B1 (7) (7) (8) (8) (9) (9) (9) (9) (9) (9	
			5 11127 5	
•		both	-,	
	ما	$X \sim Po(6)$		
	(b)		M1A1	
		D(V A) 1 0.3051_0.7140	M1A1	
	(c)			
			$\left(7\right)$	

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Paper No. 82

uestion umber	Scheme			Marks		
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				-		
				·		
4.	Continuous Uniform (Boots)	novelor) V 77[0.14]			į	
(a)	Continuous Uniform (Rectan	$\mathbf{ligural}, \ \mathbf{\lambda} \sim 0 \ [0,14]$. •	B1,B1		
(b)	$E(X) = \frac{(14+0)}{2} = 7$		Form & sub, 7		(2	
	2 Mean arrival time is 8.02am		8.02am	M1A1		
1				A1) :	
	nvv s r 1 , x		x x		(3	
(c)	$P(X \le x) = \int_0^x \frac{1}{14} dt = \frac{x}{14}$		Integral, $\frac{x}{14}$	M1,A1	5	
	. 0	<i>x</i> <0	•			
	•					
.	$F(x) = \frac{x}{14}$	$0 \le x \le 14$	Centre	B1ft		
	1	<i>x</i> >14	Ends	211	. :	
				B 1		
(d)	P(X>10)=1-F(10)	Require '1 min	us'or valid integral	M1	(4	
	$=1-\frac{10}{14}=\frac{2}{7}$		$\frac{2}{7}$	A1	á	
	•				(2	
					11	
			•		ر د	
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Paper No. S2

Question number	Scheme	Marks
5.(a)	Failed connections occur singly, independently and at a constant rate of 3 per hour, randomly Any two	B1,B1
(b) (i)	X is no of failed connections every hour. $P(X = 0) = 0.0498$	(2 M1A1
(i i)	P(X > 4) = 1 - 0.8153 = 0.1847 Require '1 minus', 0.1847	the state of the s
(c)	$X \sim Po(24)$	B1 (1
(d)	Y is no of users that fail to connect at their first attempt $Y \sim N(24, 24)$ Normal, both	B1,B1
	$P(Y \ge 12) = 1 - P(Z < \frac{11.5 - 24}{\sqrt{24}})$ From above, all correct	M1,A1
	= P(Z < -2.55) -2.55 $= 0.9946$	A1 A1 13 (6
6. (a)	$X \sim Bin(20, 0.4)$ Bin, 20 & 0.4	
(b)	$P(5 < X < 15) = 0.9984 - 0.1256$ $\le 14 \le 5$, Subtract, both correct = 0.8728	A1A1
(c)	2(22)	
	$sd = \sqrt{20 \times 0.4 \times 0.6} = 2.19$ Sub in \sqrt{npq} , 2.19	M1,A1
(d)	$H_0: p = 0.4$	
	$P(X \ge 8 n = 10, p = 0.4) = 1 - 0.9877$ Require '1 minus'	B1 M1 A1
	Reject H ₀ Proportion of diners who prefer to eat organic foods	M1 A1ft
	5.(a) (b) (i) (c) (d) 6. (a) (b)	Failed connections occur singly, independently and at a constant rate of 3 per hour, randomly Any two (b) (i) X is no of failed connections every hour. $P(X = 0) = 0.0498$ (ii) $P(X > 4) = 1 - 0.8153 = 0.1847$ Require '1 minus', 0.1847 (c) $X \sim Po(24)$ (d) Y is no of users that fail to connect at their first attempt $Y \sim N(24, 24)$ Normal, both $P(Y \ge 12) = 1 - P(Z < \frac{11.5 - 24}{\sqrt{24}})$ From above, all correct $= P(Z < -2.55) = 0.9946$ 6. (a) $X \sim Bin(20, 0.4)$ Bin, 20 & 0.4 (b) $P(5 < X < 15) = 0.9984 - 0.1256 \le 14 \& \le 5$, Subtract, both correct $= 0.8728$ (c) $E(X) = 20 \times 0.4 = 8$ so $d = \sqrt{20 \times 0.4 \times 0.6} = 2.19$ Sub in \sqrt{npq} , 2.19 (d) $H_0: p = 0.4$ Both $P(X \ge 8 n = 10, p = 0.4) = 1 - 0.9877$ Require '1 minus' $= 0.0123$ Reject H_0 Proportion of diners who prefer to eat organic foods is higher than trade magazine's claim Context

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uestion number	Scheme		Marks	
7. (a)	$8k=1, k=\frac{1}{8}$	cso	B1	
(b)	F(m) = 0.5		M1	(
	$x^2+2x-4=0$		A1	
	$x = \sqrt{5} - 1 = 1.236$	awrt 1.24	A1	(
(c)	$f(x) = \frac{1}{4}(x+1),$ $0 \le x \le 2$ Differentiation,	all correct	M1A1	
	·	d ranges	A1	
			·	(
(d)				
1.	f(x)		B1 vals&	
	3 4		labels B1 slope	
	1 1		$\mathbf{B1} \ \mathbf{f(x)} = 0$	
	4	• •		
	0 x			
		2	B1	
(e)	mode= 2	2	22	
(f)	$E(X) = \int_0^2 x(\frac{1}{4}(x+1))dx$ Attempt	ot $\int_0^2 x f(x) dx$	M1	
	$\begin{bmatrix} 1 & 1 & 2 \end{bmatrix}^2$		A1	
	$= \left[\left(\frac{1}{12} x^3 + \frac{1}{8} x^2 \right) \right]_0^2$ Expression	all correct	A1	
	$=\frac{7}{6}$			
(g)	mean <median<mode con<="" negative="" skew="" td="" ⇒=""><td>aparison, both</td><td>M1A1</td><td></td></median<mode>	aparison, both	M1A1	
			/	
			(